

Magnetic Particle Imaging with a Cantilever Detector

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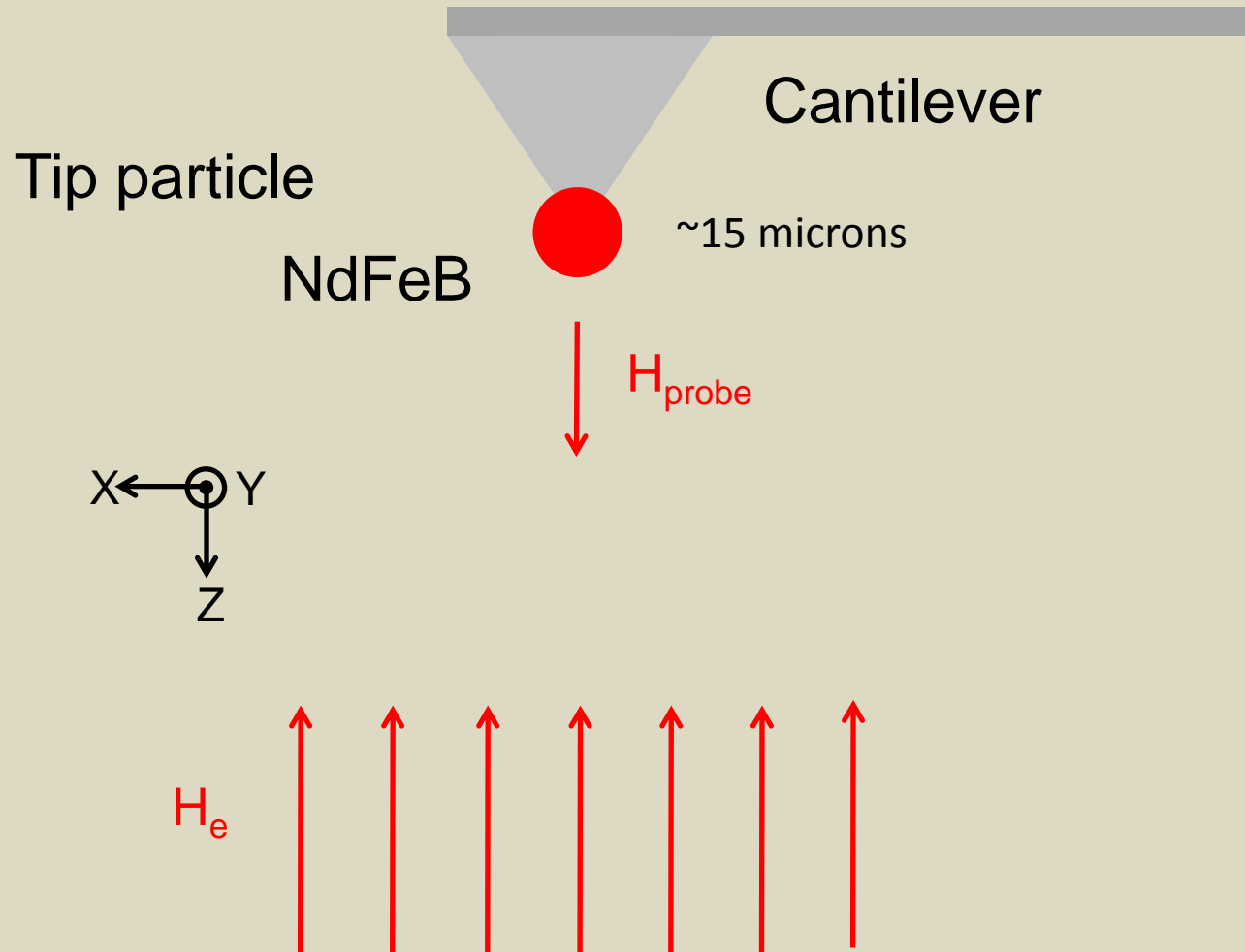
NIST, Boulder



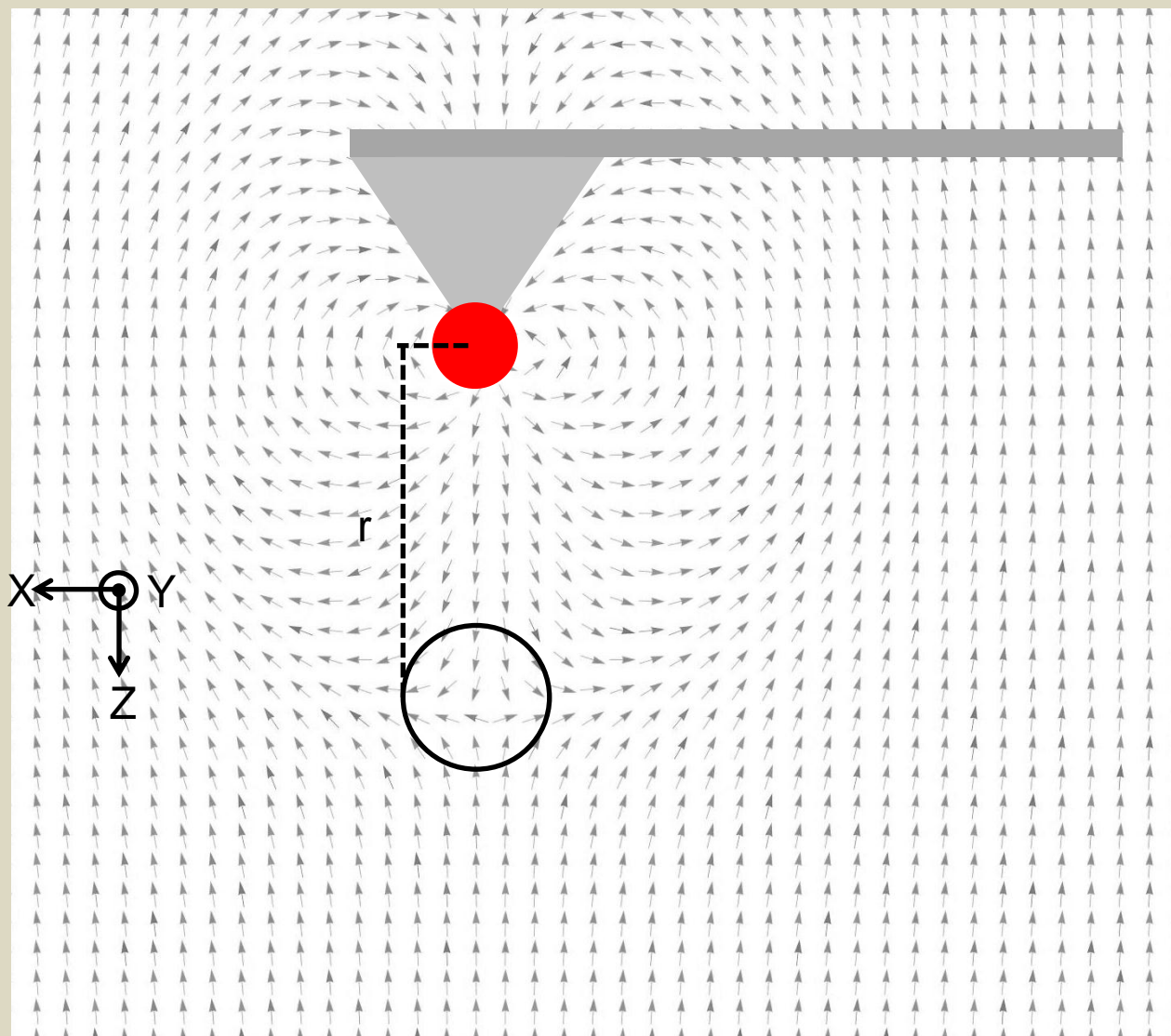
Outline

- Experimental Setup
- Raw Data
- Theory
- Results
- Future plans

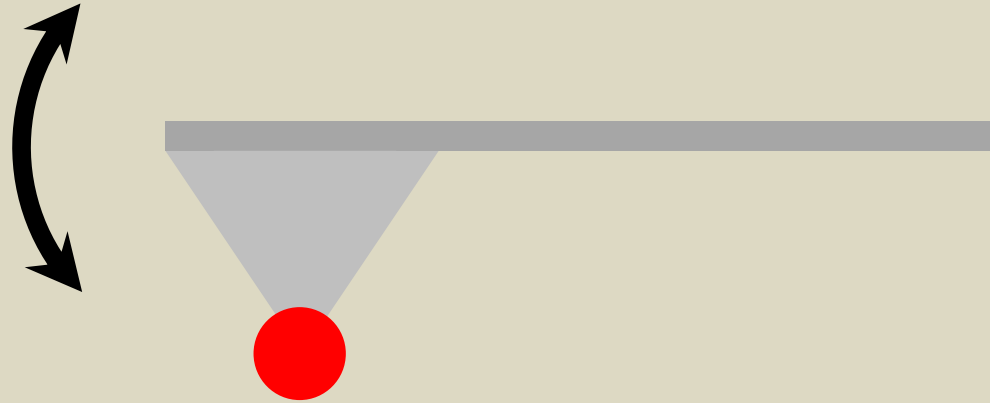
Cantilever Detection Configuration



Field Configuration



Measurement

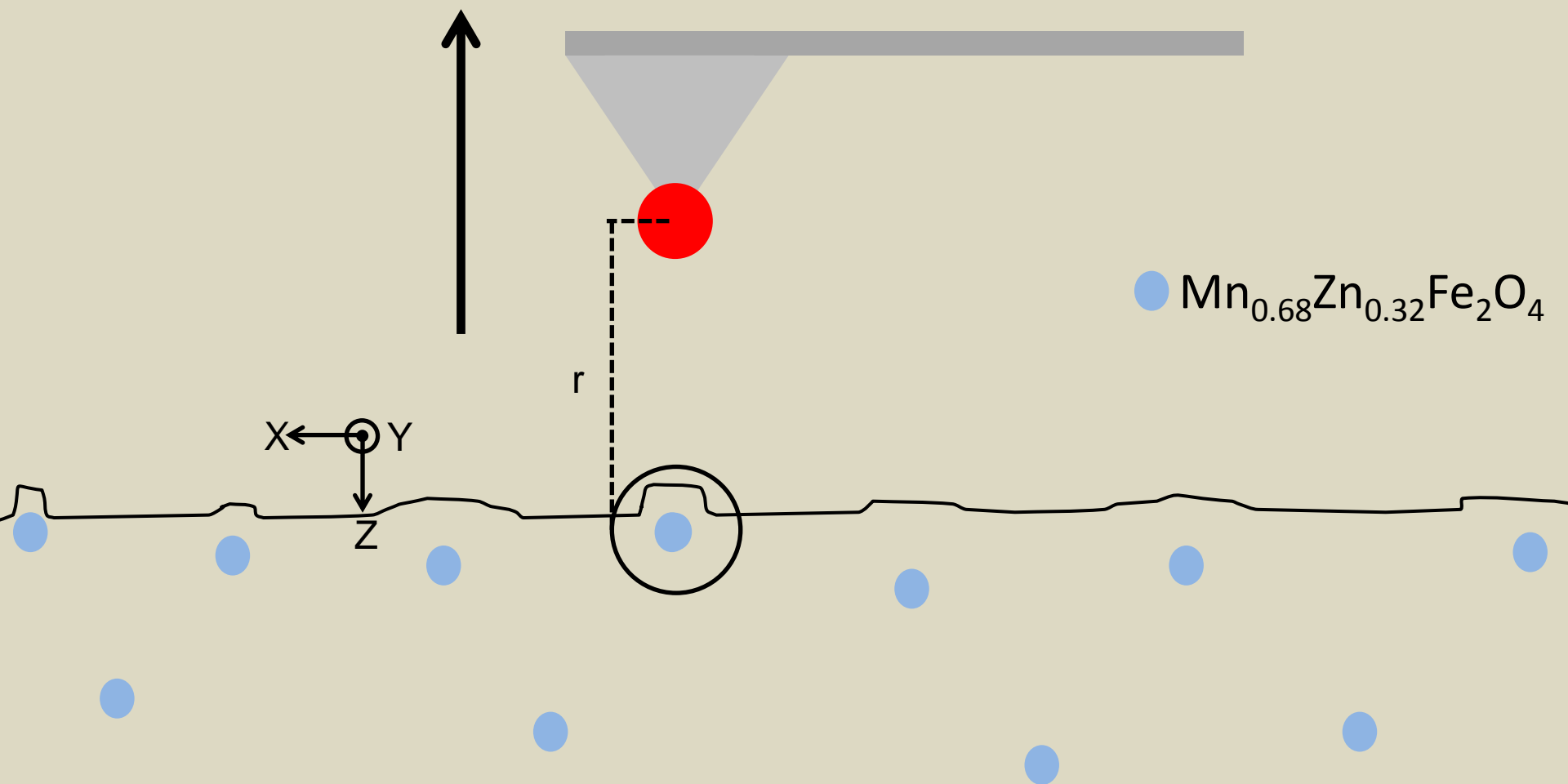


Vibrate the Cantilever at $f_0/2$

Detect at f_0

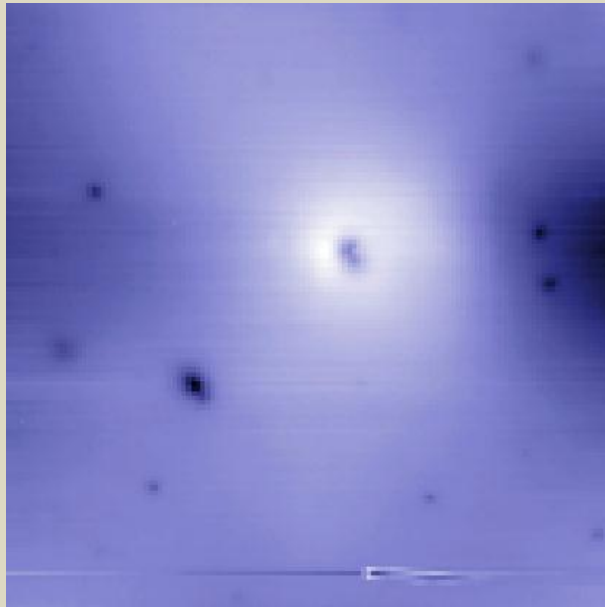
We measure the 2nd Derivative of the Force

Measurement



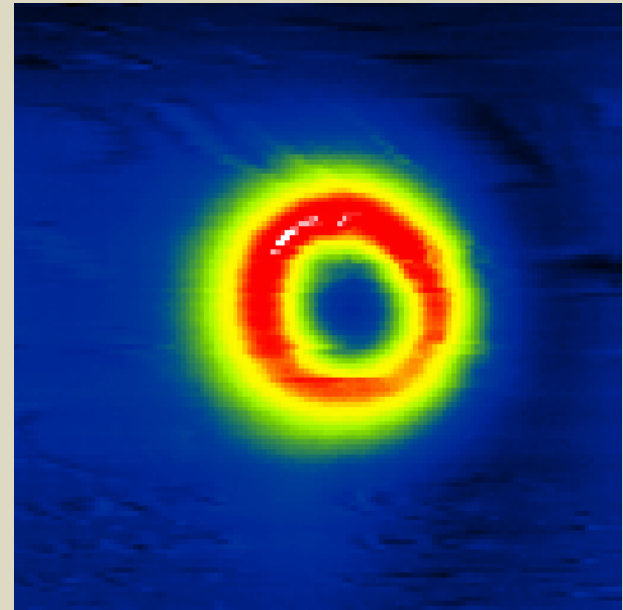
Signal as a Function of Lift Height

Topograph



0 nm  400 nm

2nd Harmonic



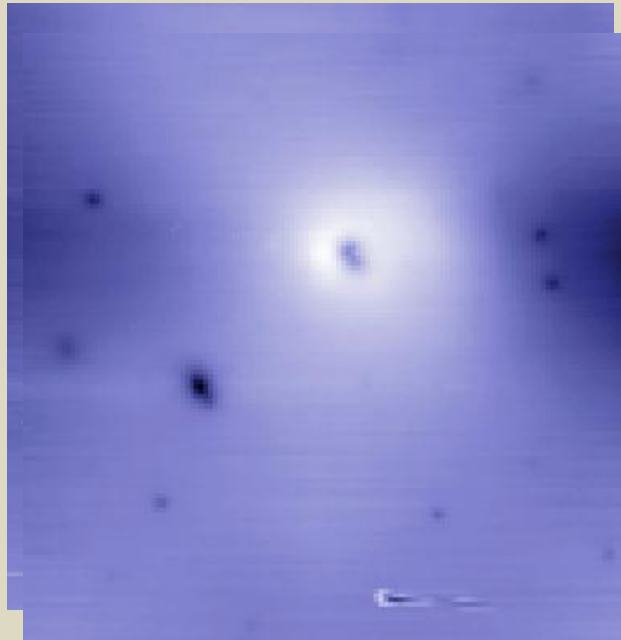
0.1 V  0.2 V

0.19 T
32 X 32 μm

500 nm

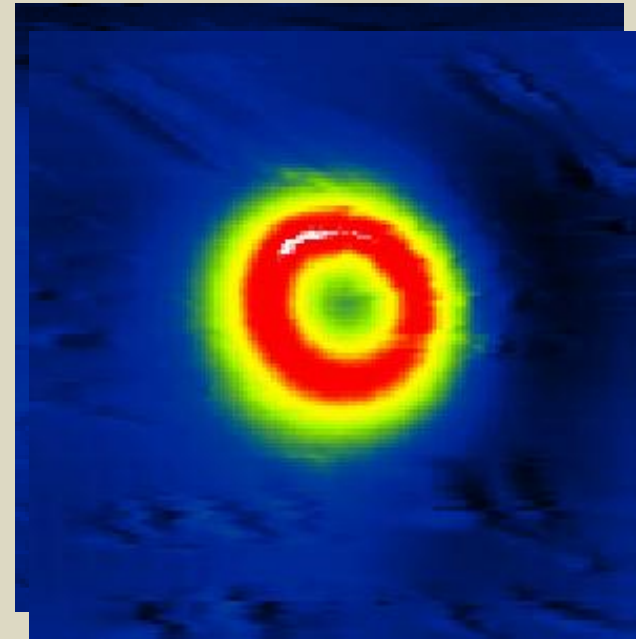
Signal as a Function of Lift Height

Topograph



0 nm  400 nm

2nd Harmonic



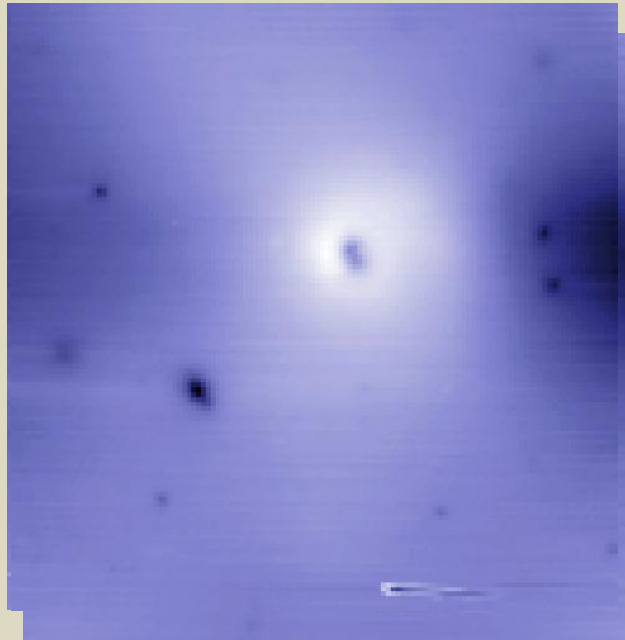
0.11 V  0.25 V

0.19 T
32 X 32 μm

1000 nm

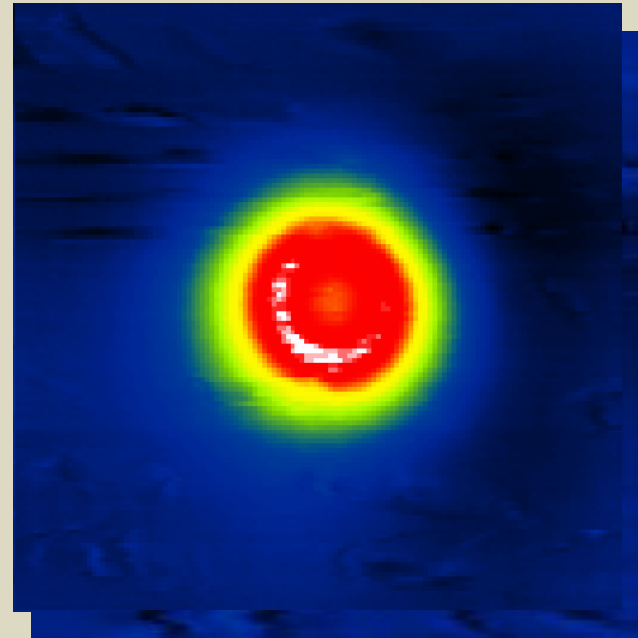
Signal as a Function of Lift Height

Topograph



0 nm  400 nm

2nd Harmonic



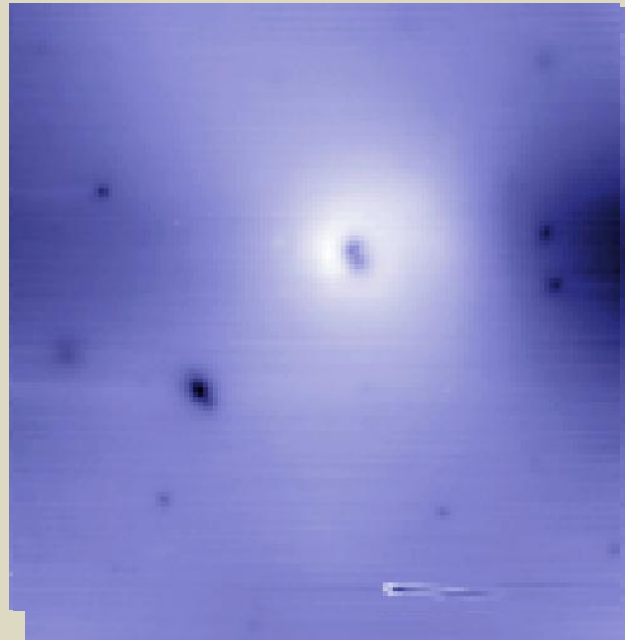
0.11 V  0.28 V

0.19 T
32 X 32 μm

1500 nm

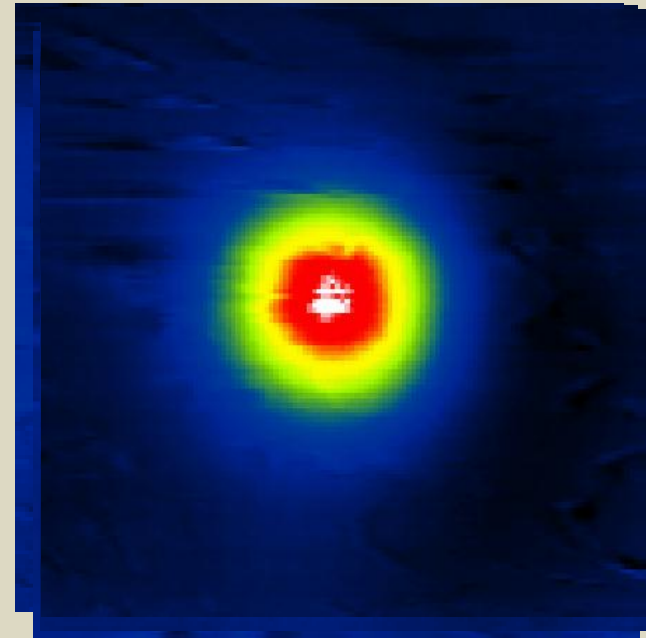
Signal as a Function of Lift Height

Topograph



0 nm  400 nm

2nd Harmonic

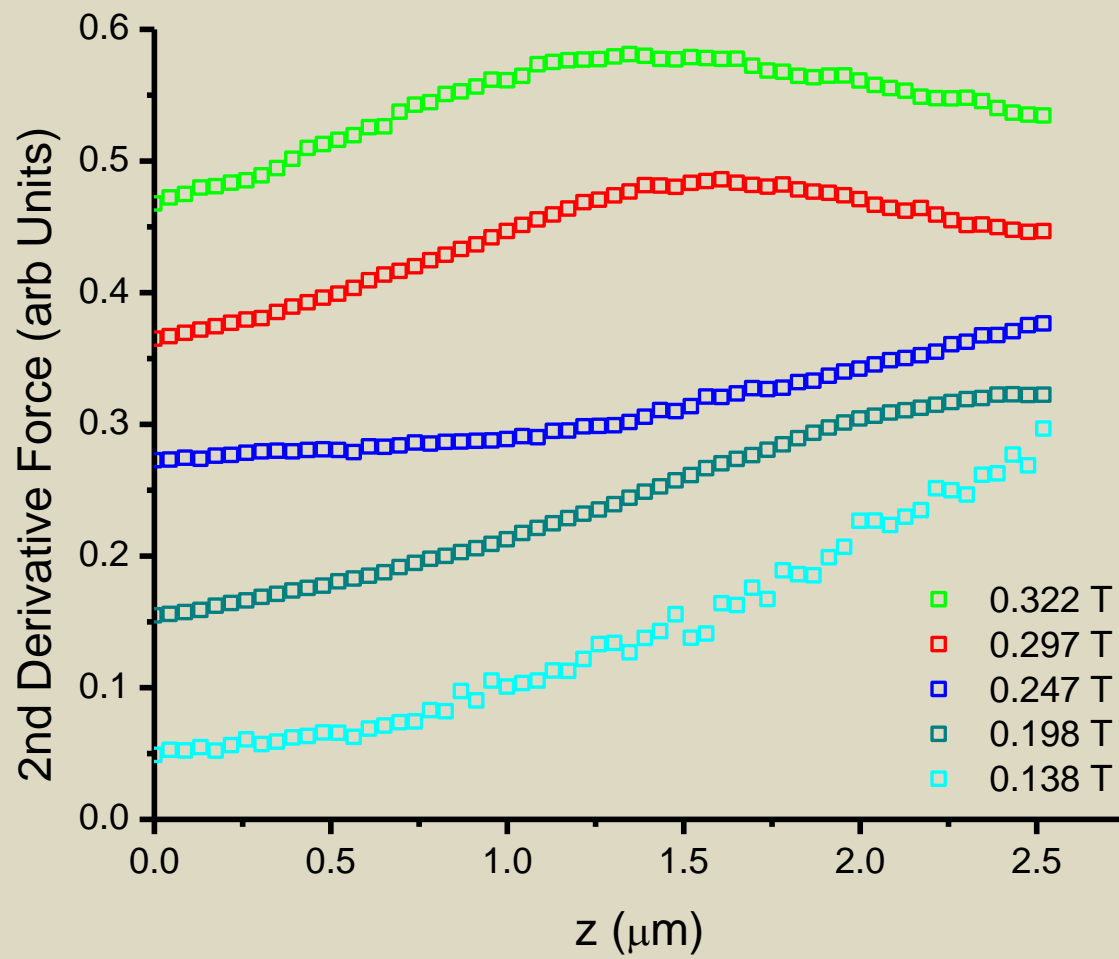


0.11 V  0.28 V

0.19 T
32 X 32 μm

2500 nm

Extracting fitable data



Theory

Dipole in an external field

$$H_z(z) = -H_e + \frac{\mu_0}{4\pi} \frac{2m_t}{z^3}$$

m_t =moment of the tip
 m_p =moment of the particle

Gives a Force of:

$$\begin{aligned} F(z) &= \frac{d}{dz} \frac{\mu_0}{4\pi} (m_p(H_z) \cdot (H_z + H_e)) \\ &= -\frac{\mu_0}{4\pi} \left(\frac{6m_t m_p(H_z)}{z^4} - \frac{12m_t^2 m_p'(H_z)}{z^7} \right) \end{aligned}$$

Theory/Model

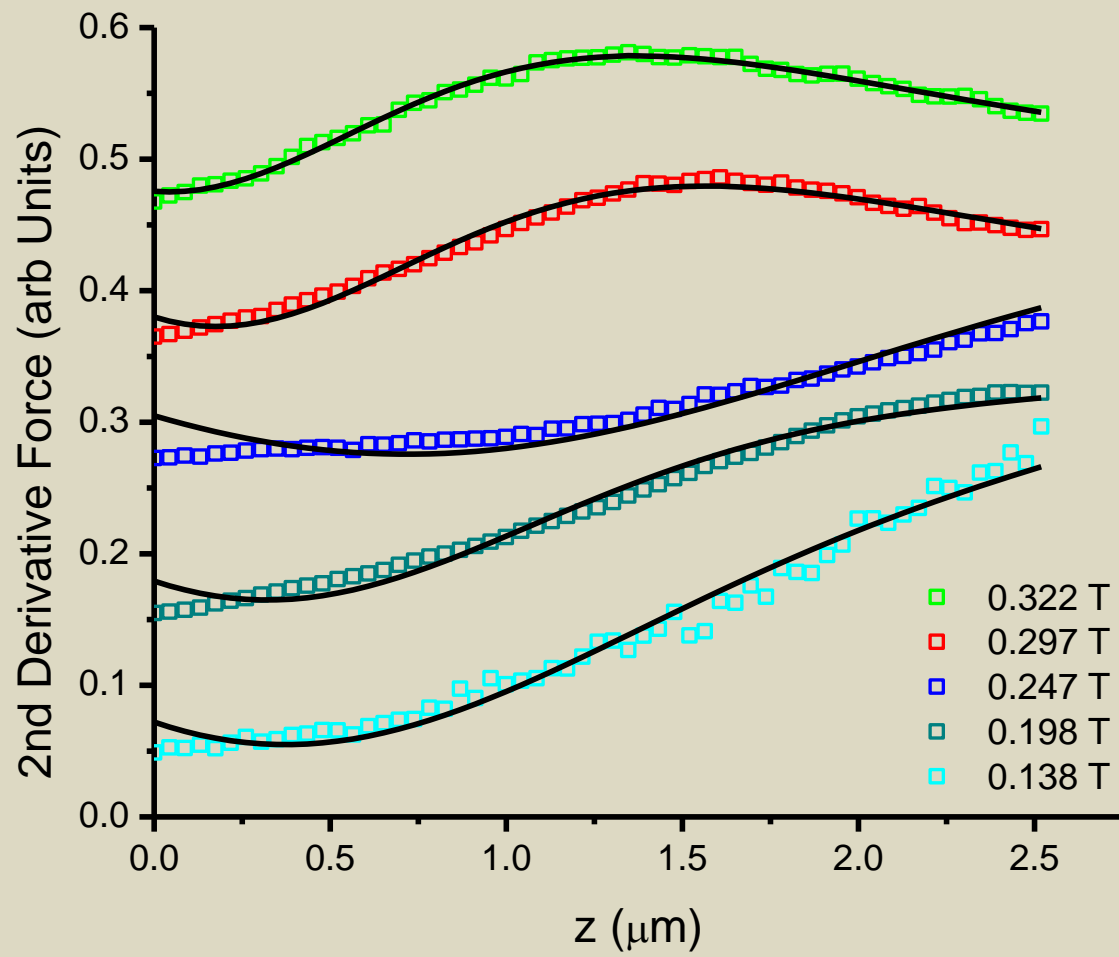
Mixture of harmonics -> Need model $m(H)$

Langevin model:

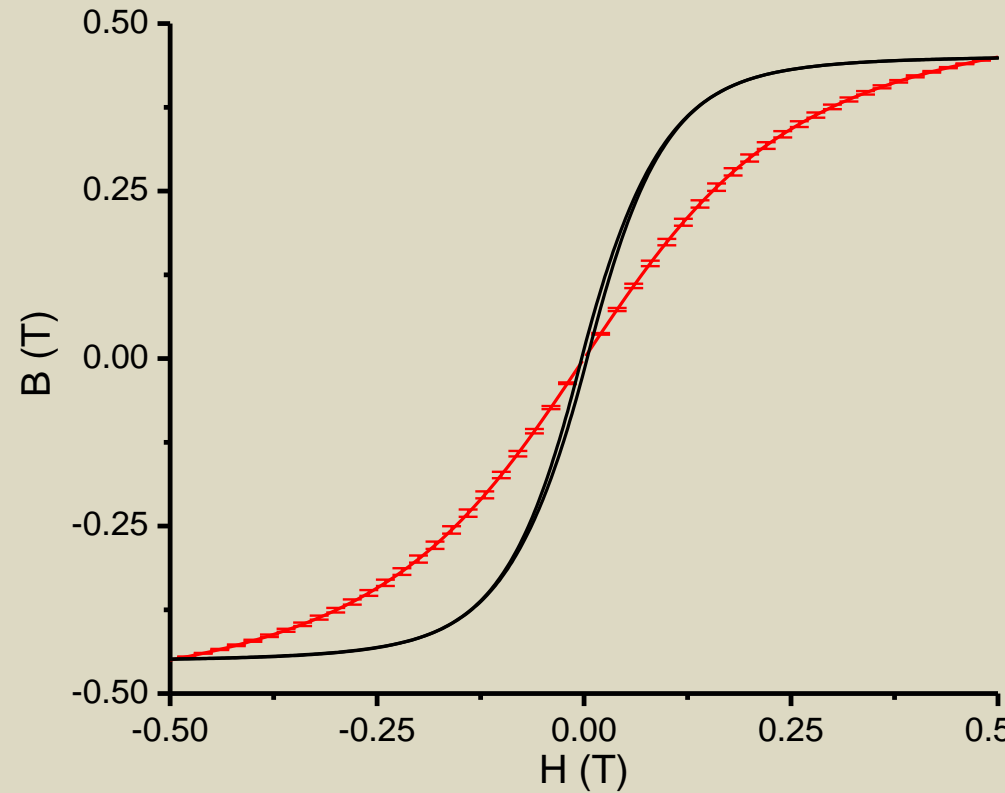
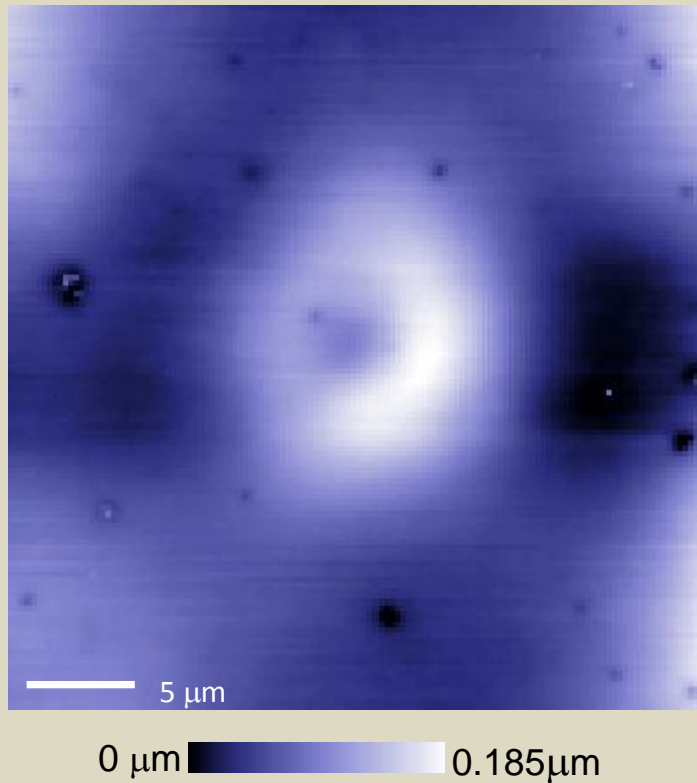
$$M = N \cdot g \cdot J \cdot \mu_B \cdot B_J \left[\frac{g \cdot J \cdot \mu_B \cdot \mu_0 \cdot H}{k_B \cdot T} \right]$$

Where B_J is the Brillouin function, g is the Lande splitting factor, and J is total angular momentum

Fitting



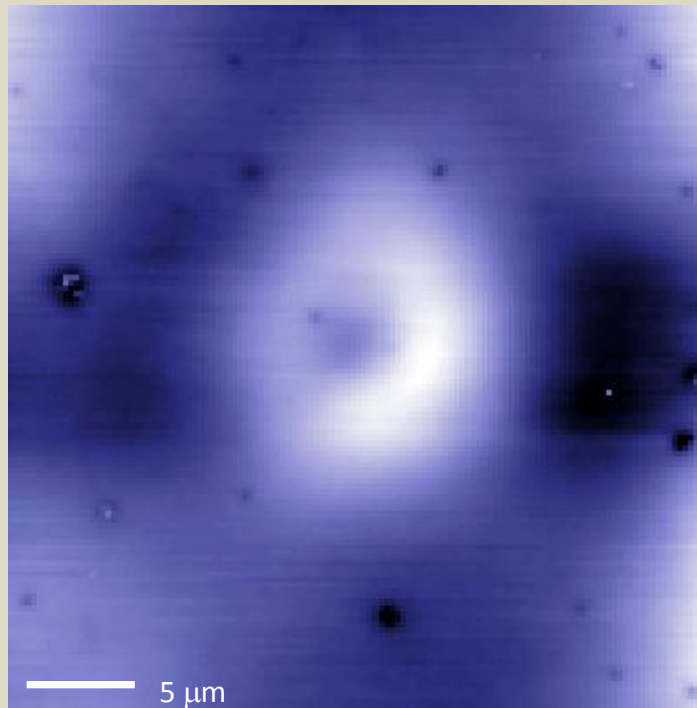
Extracted m-H curve



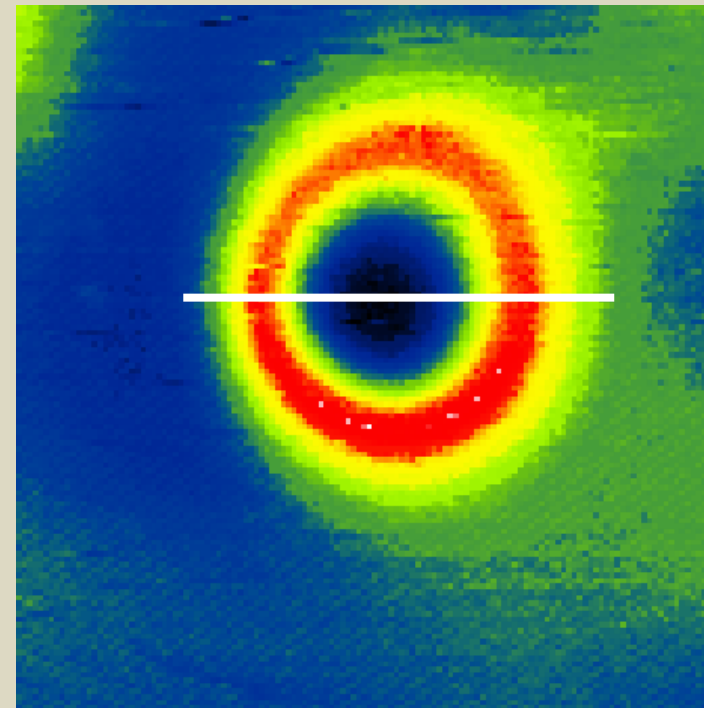
Demagnetization factor
of 0.54

Ellipsoid cluster

2D slices of the data compared to theory

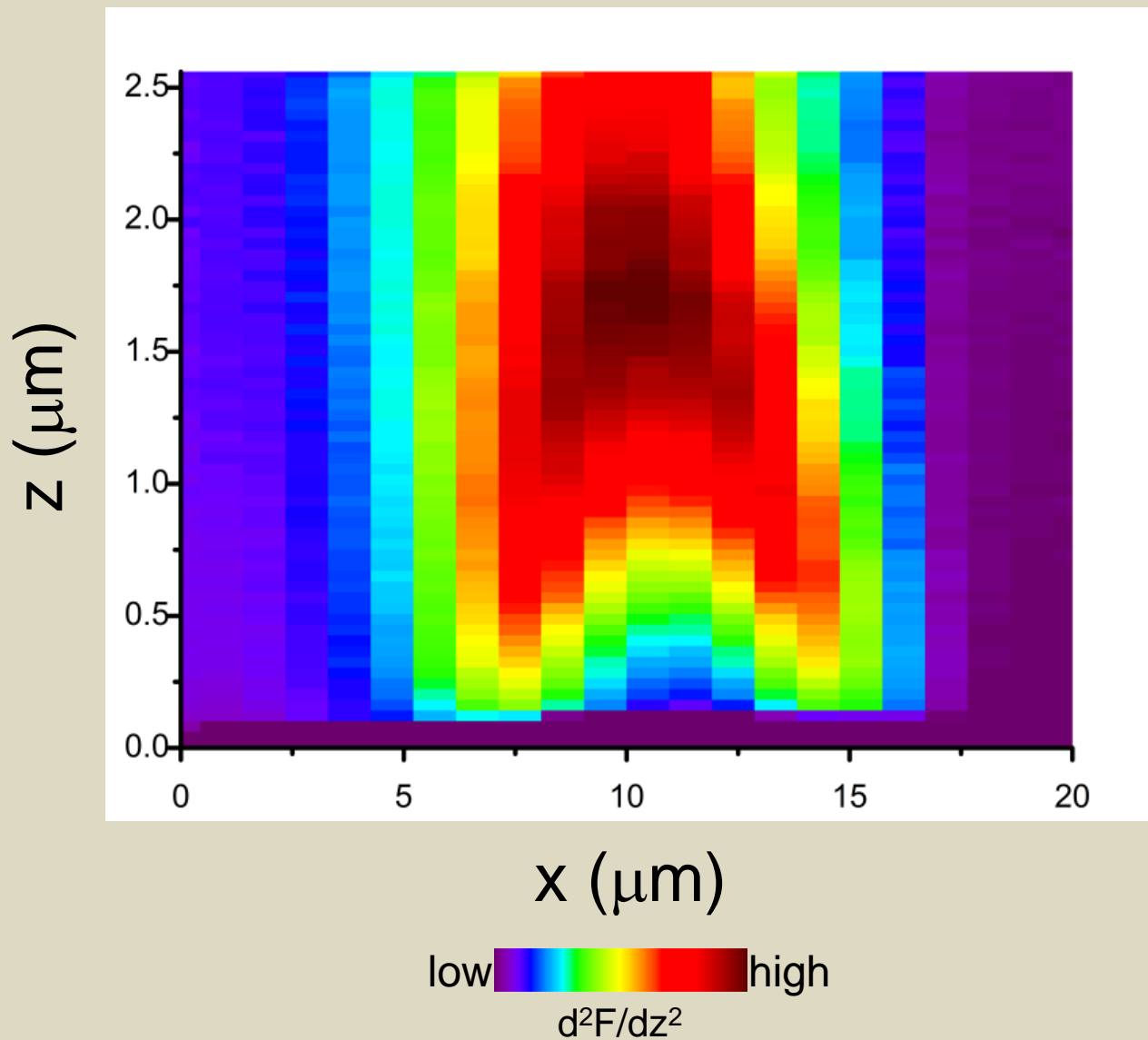


$0\ \mu\text{m}$  $0.185\ \mu\text{m}$



$1.4\ \text{mV}$  $3.6\ \text{mV}$

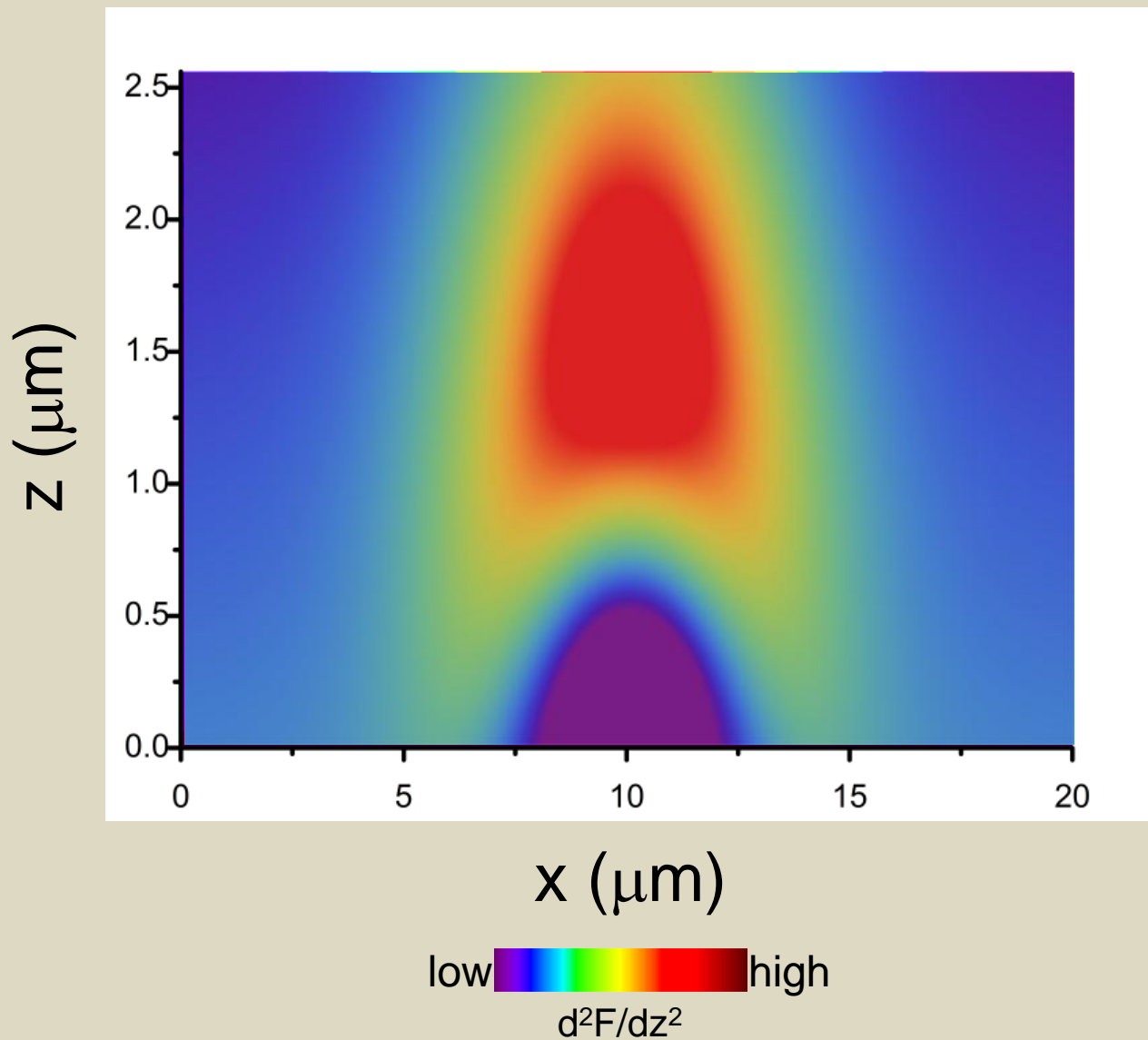
2D Data Slice



$H_e = 0.322 \text{ T}$

Submitted PRL

2D Theory Slice



$H_e = 0.322 \text{ T}$

Submitted PRL

Conclusions

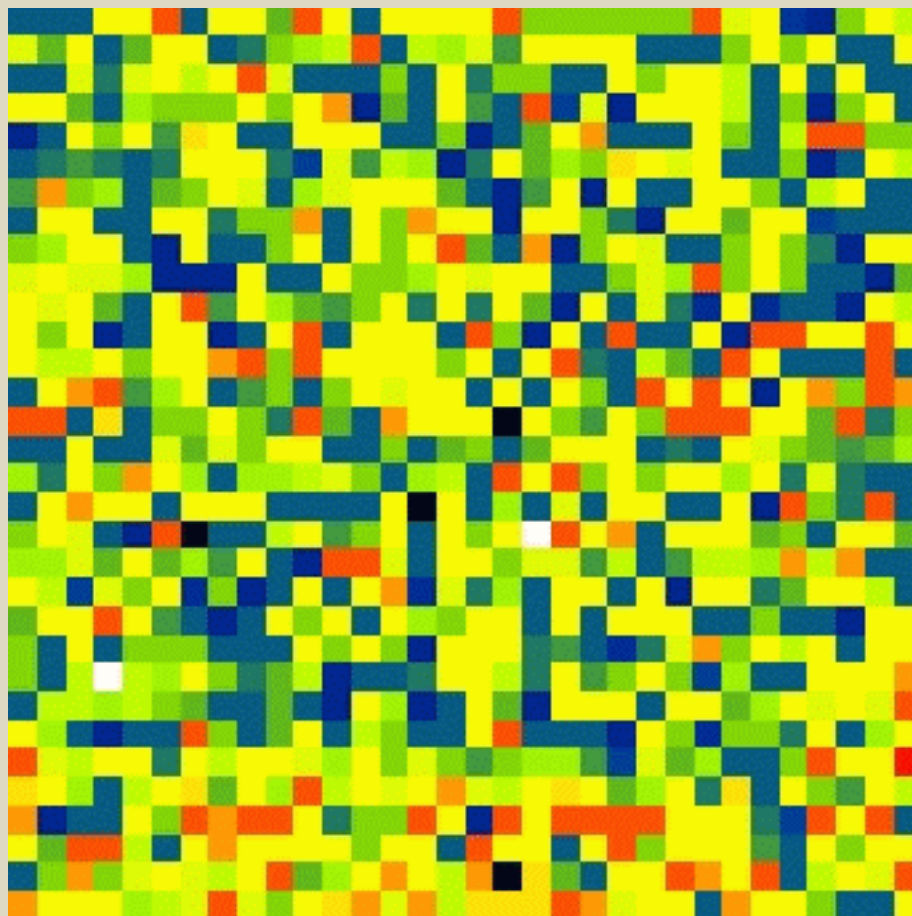
- We can measure and extract m-H curves, position of particles
- Can be done at fixed H_e or as a function of H_e
- With calibration can extract magnetic moment of sample
- Full 2D fitting will enable better single data set fits

Future Plans

- Calibration
- Smaller scales, vacuum
- Applications

END

3D Data Sets



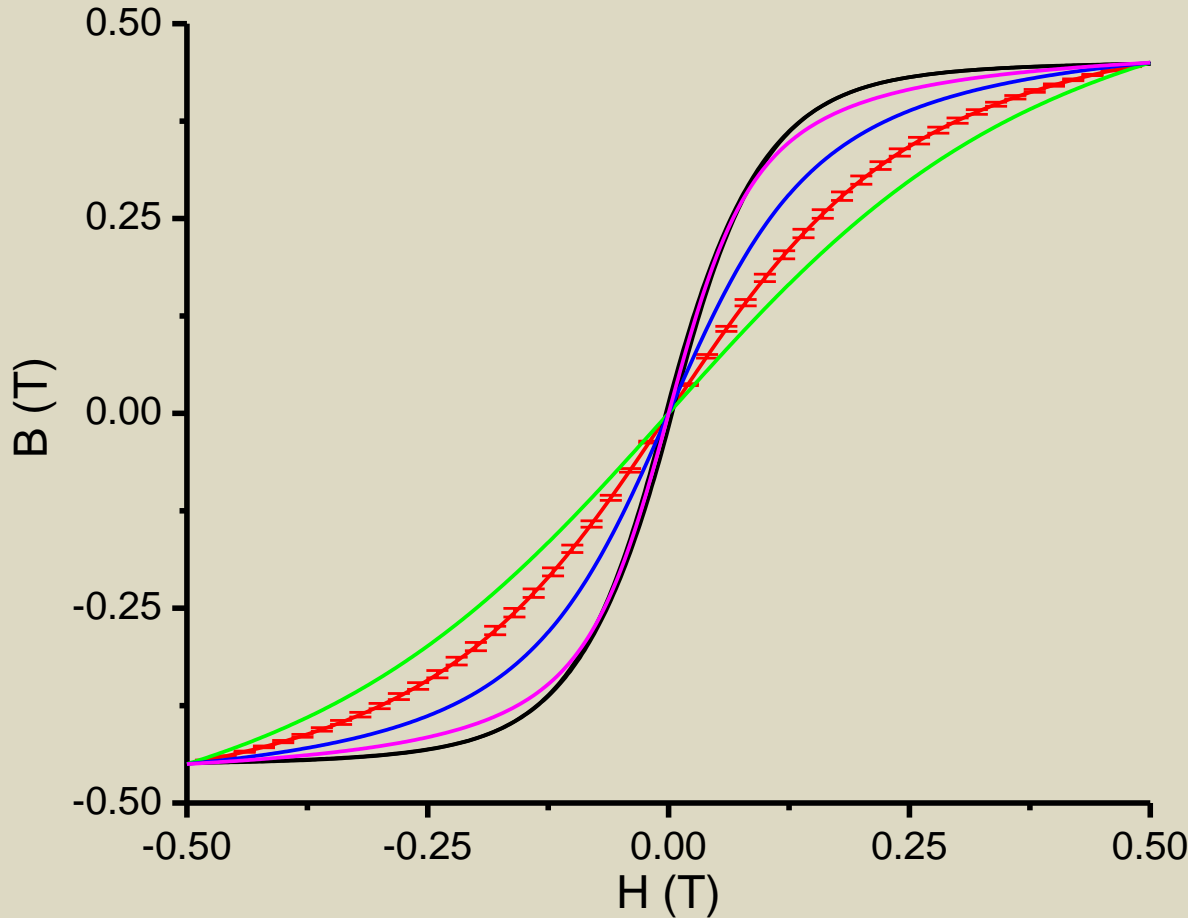
0.322 T
32 X 32 μm
0-2.56 μm

low  high

Problems and issues

- Setup has large background due to small permanent magnet
- Temperature Drift
- Optical Interference
- Lack of a defined, easy to make calibration setup

Demag Statistics

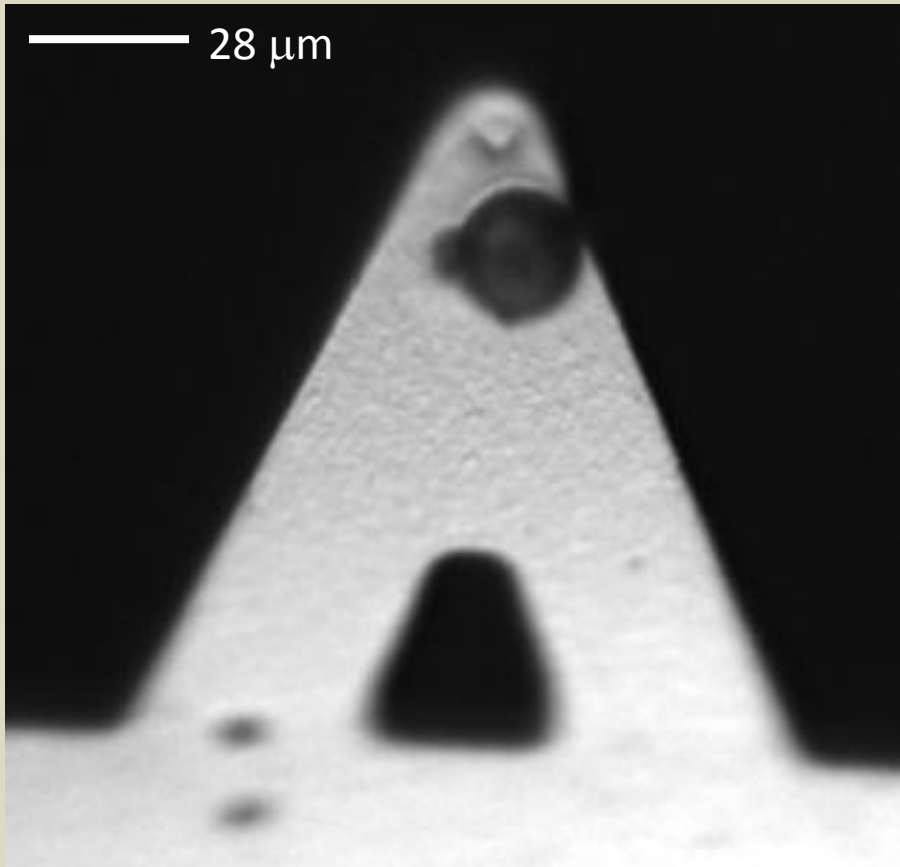


Blue, Green, Pink three
more particles measured

Working on processing
more now

Biased towards larger
particles, bigger signal,
more change in the 2.56
 μm throw of the AFM

Tip Construction and Characterization



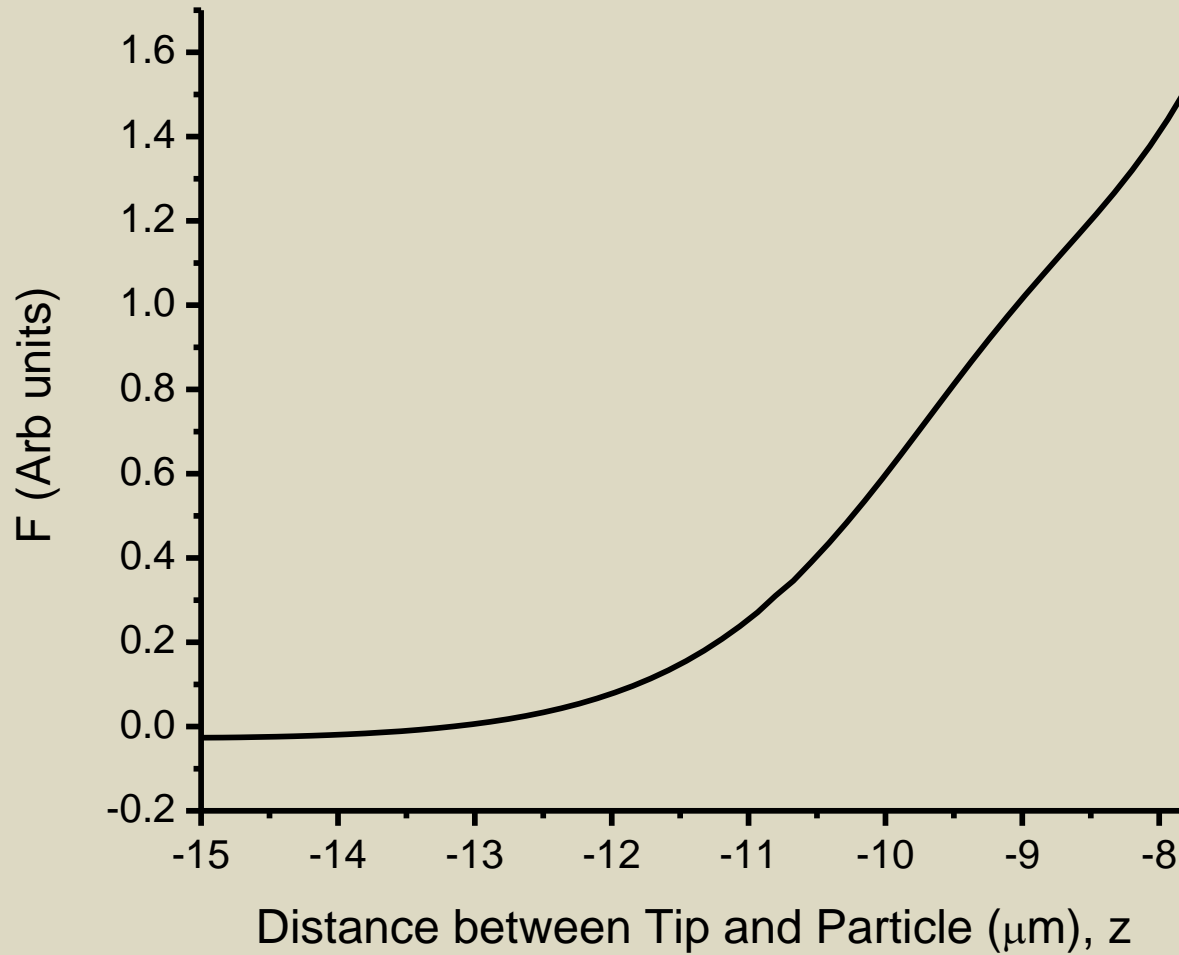
Commercial SiN tips

NdFeB 5-50 nm spheres

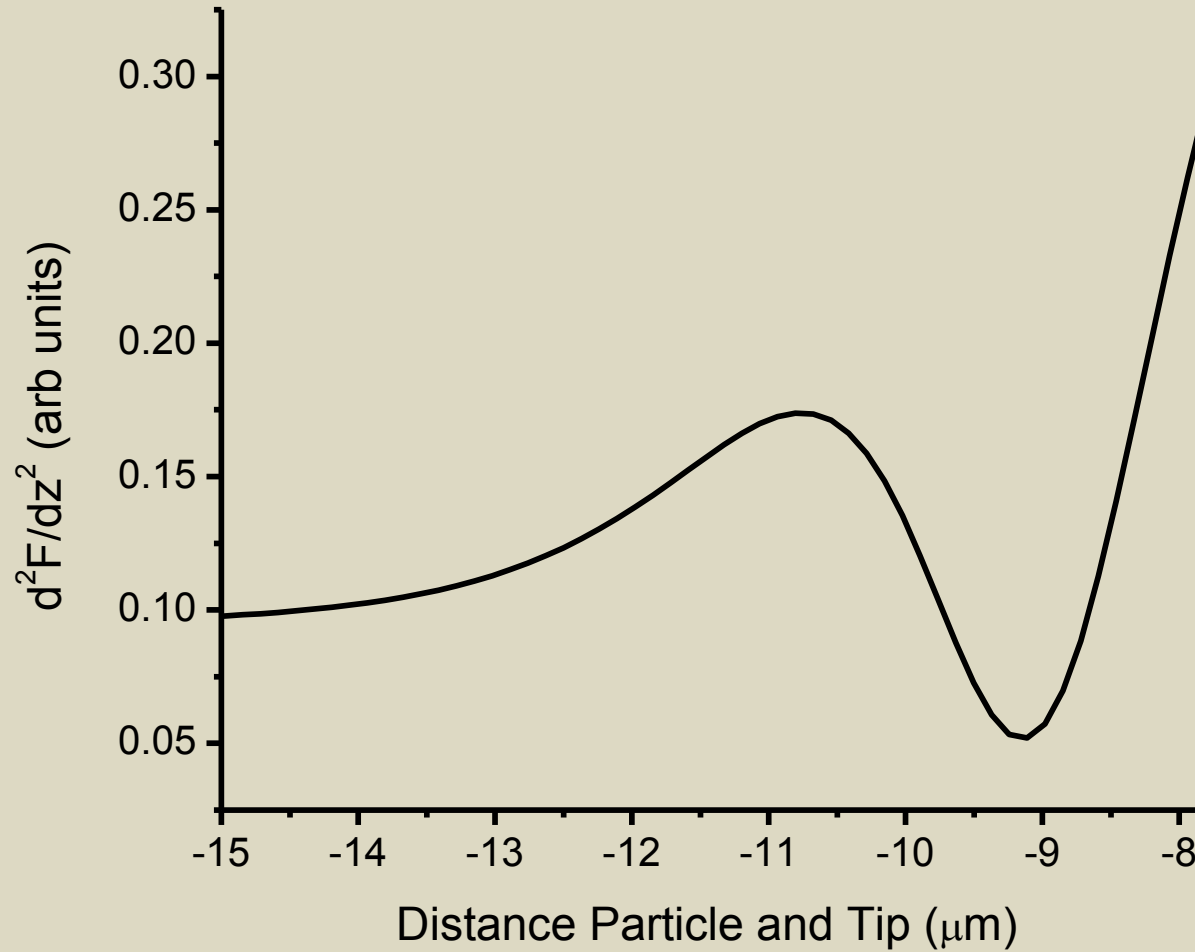
Magnetized in 3 Tesla field

Resonance $f_0 \sim 80$ kHz

Theory: Force



Theory: 2nd Derivative Force



Theory

We measure the 2nd Harmonic, or Derivative of the force

$$\begin{aligned} \frac{\partial^2 F}{\partial z^2}(z) = & -\frac{\mu_0}{4\pi} \frac{120m_t m_p(H_z)}{z^6} \\ & -\frac{\mu_0}{4\pi} \frac{1104m_t^2 m_p'(H_z)}{z^9} \\ & -\frac{\mu_0}{4\pi} \frac{1512m_t^3 m_p''(H_z)}{z^{12}} \\ & -\frac{\mu_0}{4\pi} \frac{432m_t^4 m_p^{(3)}(H_z)}{z^{15}} \end{aligned}$$